

In the absence of any external or nonconservative forces, that total ME is conserved.

$$PE_i + KE_i = PE_f + KE_f$$

i.e. Gravity

conservative

- Path independent i.e. how you get from A to B doesn't matter.

non-conservative

- Depend upon path
- Friction, Air Resistance applied

$v=0$
 $PE = mgh$
 $KE = 0$

$$\Delta PE + \Delta KE = W_{nc}$$



$v = v_f$
 $PE = 0$
 $KE = \frac{1}{2}mv_f^2$

Skater $m = 65 \text{ kg}$ $v_i = 4 \text{ m/s}$ $v_f = 8 \text{ m/s}$

$$W_a = +80 \text{ J}$$

$$W_f = -200 \text{ J}$$

higher or lower
 $\Delta KE = \frac{1}{2}m(v_f^2 - v_i^2)$

$$\Delta PE + \Delta KE = W_{nc}$$

$$\Delta PE + \frac{1}{2}(65)((8 \text{ m/s})^2 - (4 \text{ m/s})^2) = W_{nc}$$

$$\Delta PE + \frac{1}{2}(65)(64 - 16) = W_{nc}$$

$$\Delta PE + 1560 = -120$$

$$-1560 - 1560$$

$$\Delta PE = -1680 \text{ J}$$

$$\Delta PE = mgh_f - mgh_i = mg(\Delta h)$$

$$mg(h_f - h_i)$$

$$-1680 = (65)(9.81)\Delta h$$

$$-1680 = 637.65\Delta h$$

$$-2.635 \text{ m} = \Delta h$$

$$PE_s = \frac{1}{2} k x^2$$

KE for mass attached to
Spring is still

$$\frac{1}{2} m v^2$$

$$F_s = -k x$$

$x =$ displacement
from eq.

$$\text{Power} = \frac{\Delta W}{\Delta t}$$

$$W_{\text{att}} = \frac{\text{J}}{\text{s}} = \frac{\text{W}}{\text{t}}$$

or

$$1 \text{ W} = 1 \text{ J/s}$$

kW·hr

$$\frac{1000 \text{ J}}{\text{s}} \cdot 3600 \text{ s} = 3,600,000 \text{ J}$$

$$60 \text{ W} = 60 \frac{\text{J}}{\text{s}}$$

1